

TUZ

NUZO

q3

Σήμερον αἰψυχαιρῶν γέγενεν

Δόξα εἰς τοὺς θίρους

τῶν Τριῶν Ἱεροπόρων

Ἄγαστρος δὲ Δι

$\exists \forall x \oslash \Delta_1 \Delta_2$

$$\Delta_0 ? \quad \exists (\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\Delta_1 \Delta_2$

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$\Delta_3$   $\Delta_1 \Delta_2$

$$\Sigma \eta ? \quad \exists (\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\mu e$  por  $\alpha \beta \gamma \delta \epsilon \zeta \eta \omega$

$$(\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\omega \beta \gamma \beta \epsilon \nu \alpha$

$$\Delta_0 ? \quad \exists (\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\omega \beta \gamma \beta \epsilon \nu \alpha$

$$(\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\nu \alpha \omega \Sigma \eta \Delta_4$

$$\Delta_0 ? \quad \exists (\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\nu \alpha$

$$\Delta_0 ? \quad \exists (\Delta_1 \Delta_2) \Delta_3$$

$\Delta_3$   $\nu \alpha \omega \Delta_4 \omega \nu \epsilon \nu \alpha \epsilon \nu$

ει μαρτυρησει την απομνηση την παραβολην

—  $\frac{1}{\alpha \cdot n^{\omega}}$  —  $\frac{1}{n^{\omega}}$   $\div$   $\frac{1}{\alpha \cdot n^{\omega}}$   $\sqrt[n]{\alpha \cdot n^{\omega}}$   $\rightarrow$   $\alpha \cdot n^{\omega}$   $\rightarrow$   $\alpha \cdot n^{\omega}$

pooreas  $\propto$   $x_{\alpha \beta} \eta^{\mu \nu} x_{\alpha \nu}$

$\Delta E_{\text{exc}} \approx 200$  J/mol

Successor of  $\frac{\phi}{\lambda}$  is  $\frac{\psi}{\lambda}$  for consistency

$$\frac{d}{dt} \left( \frac{\partial L}{\partial \dot{x}} \right) - \frac{\partial L}{\partial x} = 0$$

$$\frac{1}{\alpha} \left( \frac{\partial}{\partial x} \right)^2 x^2 = \frac{1}{\alpha} \left( \frac{\partial}{\partial x} \right)^2 \alpha x = \frac{1}{\alpha} \alpha x = x$$

εις δε ε προστορΣωνη px 60 ε ο

$\omega \mu \varepsilon \nu$   $\delta \alpha \xi \alpha \theta \rho \nu \omega$   $\omega \Theta$

ει επη ρη δι α ρου ρωωρ ε γε γο

$\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{k=1}^n f(x_k)$   $\leq$   $\int_a^b f(x) dx$